

Modular Design and Supervisory Control for Economic Resilience in Continuous Pharmaceutical Manufacturing

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Conventional Continuous Manufacturing

- Custom-built design
- Integrated process units
- Fixed capacity

The challenge: Operating under uncertain demand

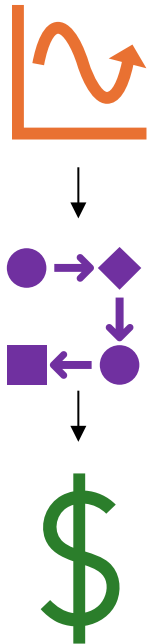
Capacity mismatch

Low demand → Underutilized capacity

High demand → Capacity bottleneck

Off-design operation

Residence time shifts → Conversion / selectivity penalties → Higher unit production cost



Modular Continuous Manufacturing

- Standardized design
- Interchangeable units
- Scalable capacity

How does modular design address this challenge?

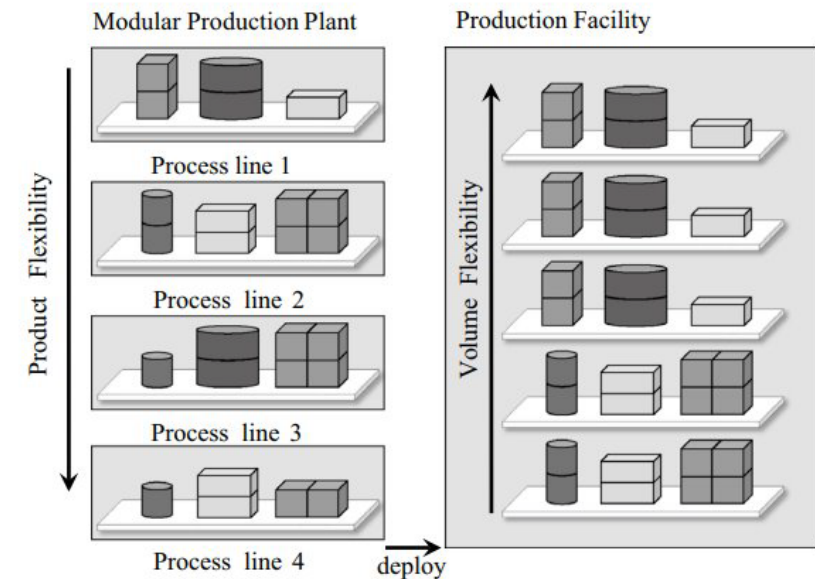
Multiple standardized reactor modules

Adjustable active volume

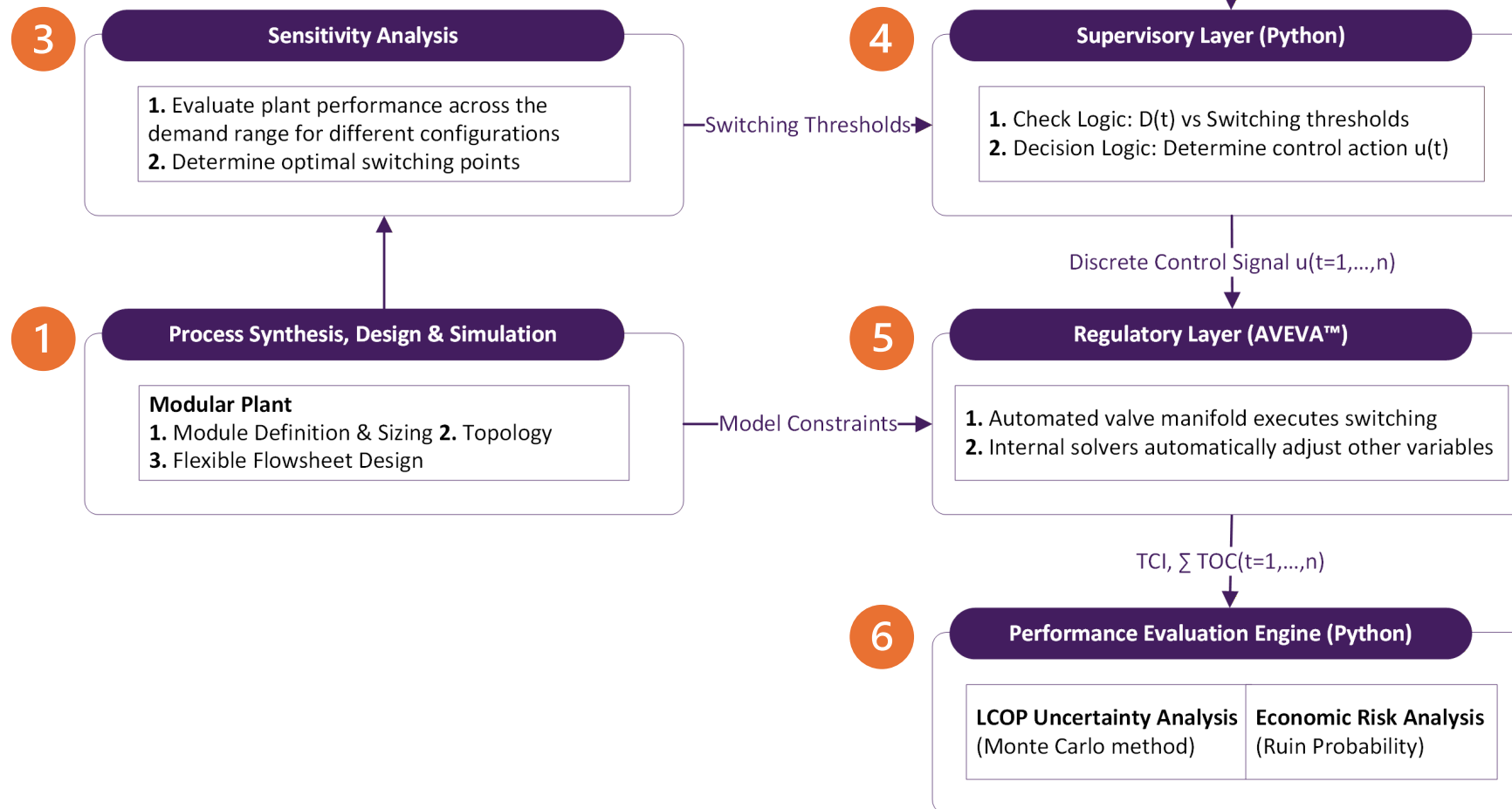
- Activate or bypass modules as throughput changes

Improved operating flexibility

- Favorable operating conditions across different throughputs

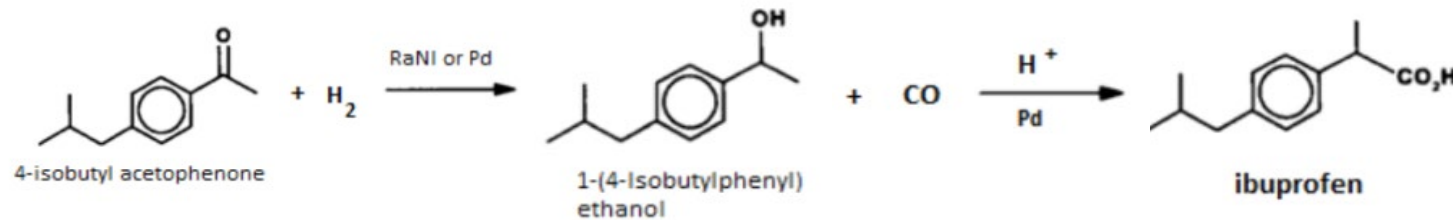
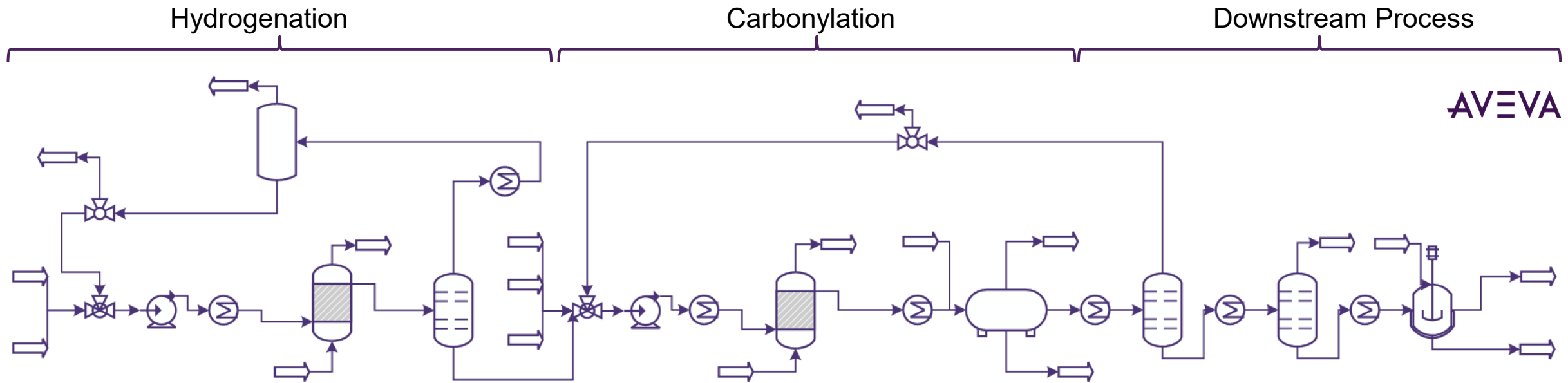


Modular Design and Supervisory Control



Case Study: Ibuprofen Continuous Manufacturing

➤ Continuous Process Flowsheet



Liquid-liquid eq:
 Non-random Two Liquid (NRTL)
 +UNIFAC Dortmund (Group Contribution Method)

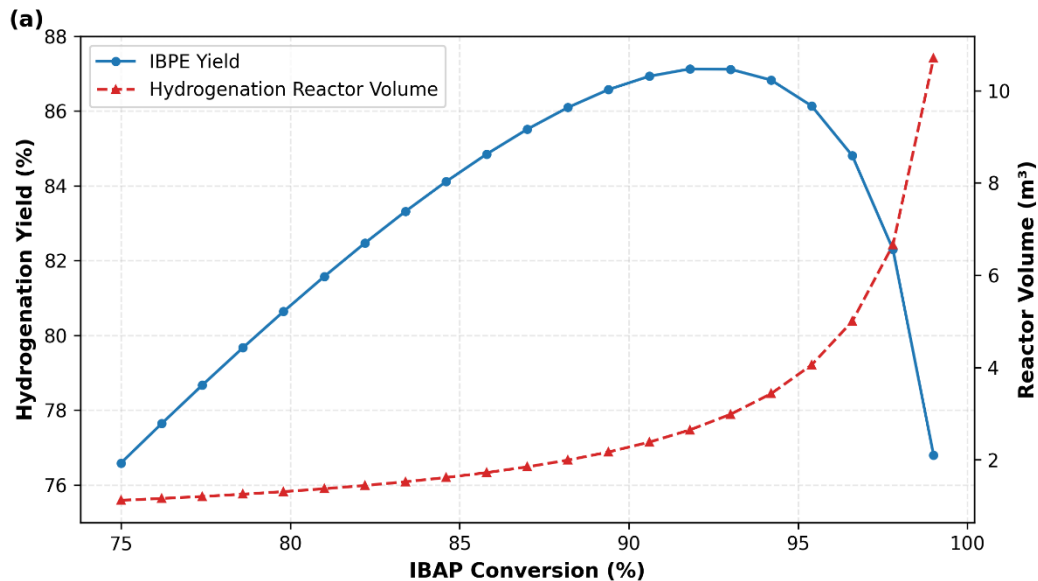
Vapor-liquid eq:
 Soave-Redlich-Kwong (SRK)

Conventional Plant: Fixed-Capacity Reactor Design

Nominal design point: 380 kg/h (7.5% of global demand in 2040 based on mean CAGR of 2.82%)

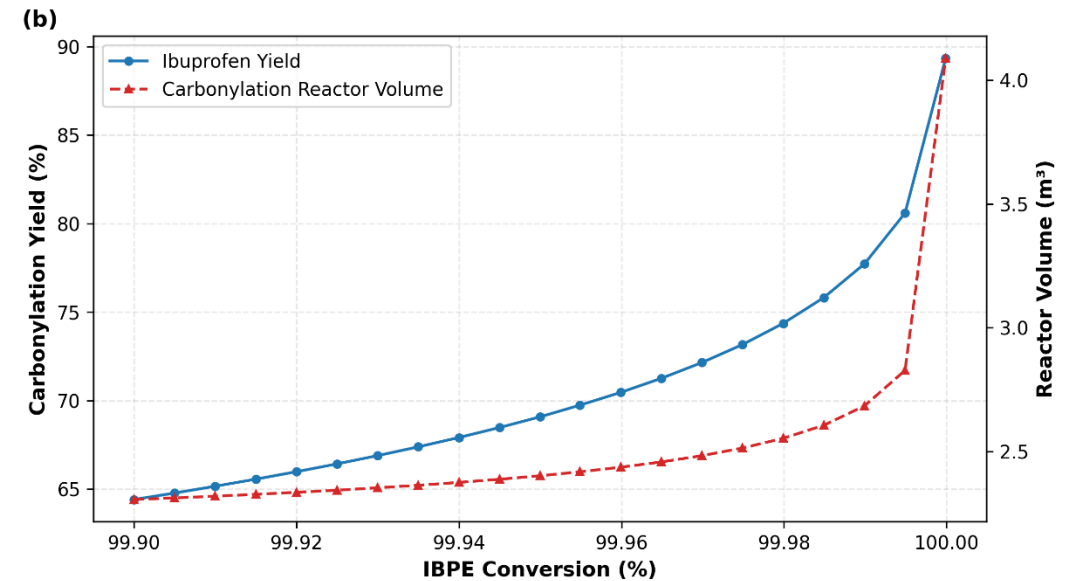
Hydrogenation

- Reactor volume: 3 m³
- Conversion: 93%
- Yield: 87%



Carbonylation

- Reactor volume: 2.7 m³
- Conversion: 99.99%
- Yield: 77%



Modular Plant: Reactor Module & Topology Design

- Standardized module: 2.5 m³ plug flow reactor (PFR).

Hydrogenation (Parallel)

Yield / selectivity-driven

Insufficient residence time → conversion loss

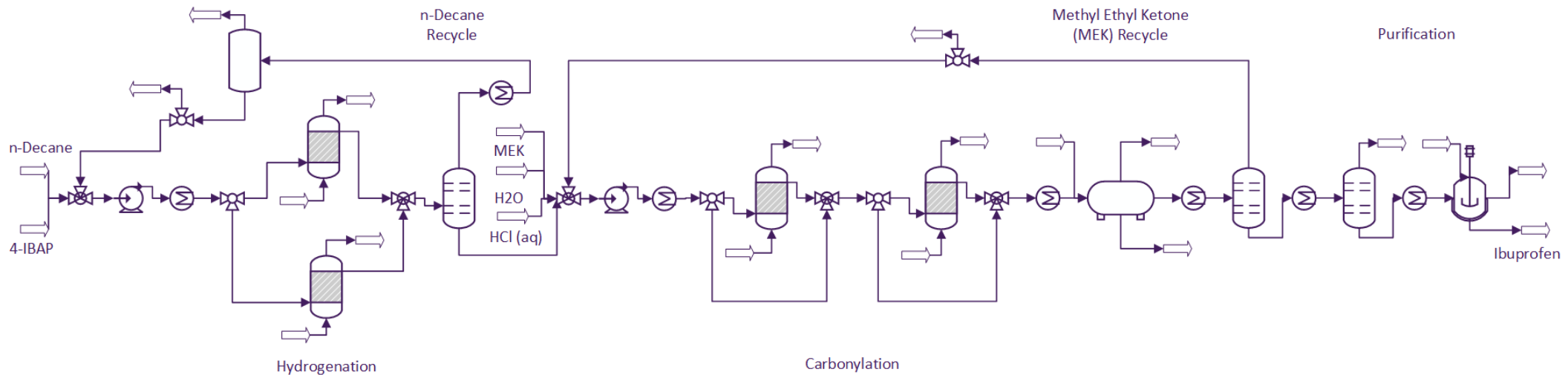
Excessive residence time → selectivity loss

Carbonylation (Series)

Conversion / operability-driven

Insufficient residence time → conversion loss

Excessive residence time → operability & quality concerns



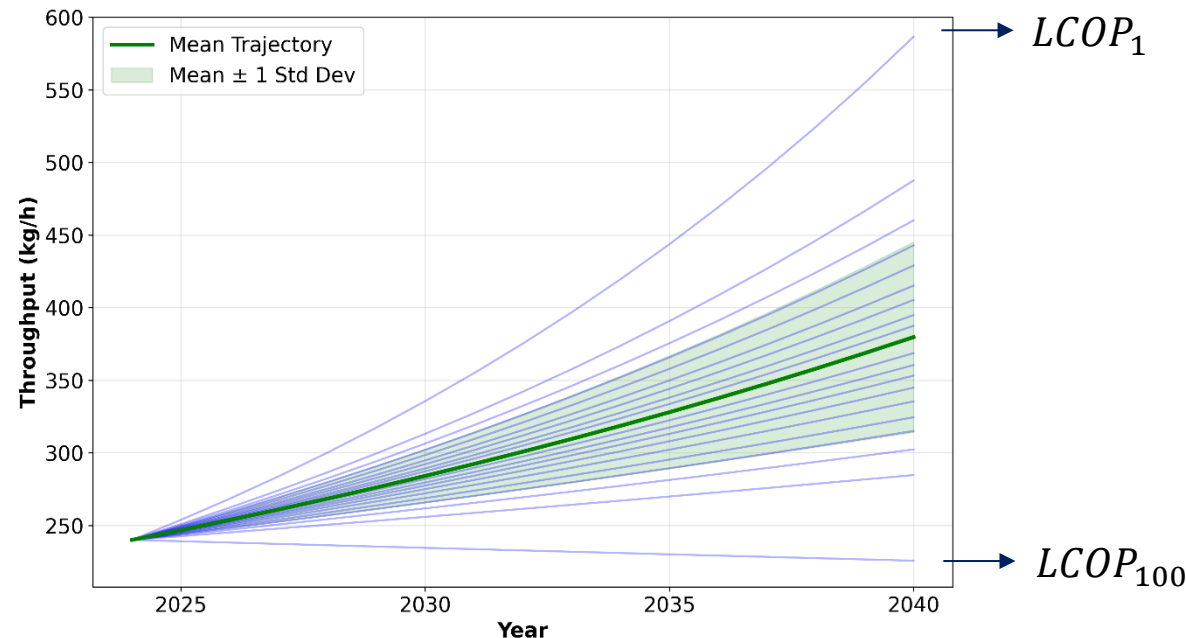
Sampling for Market Demand Uncertainty

- Production target is 7.5% of the global annual ibuprofen volume
- $CAGR \sim N(\mu, \sigma^2)$ with $\mu = 2.82\%$ and $\sigma = 1.1\%$ from 2025 to 2040 → 

Fixed-Rate Scenario

- CAGR remain constant over the project lifetime

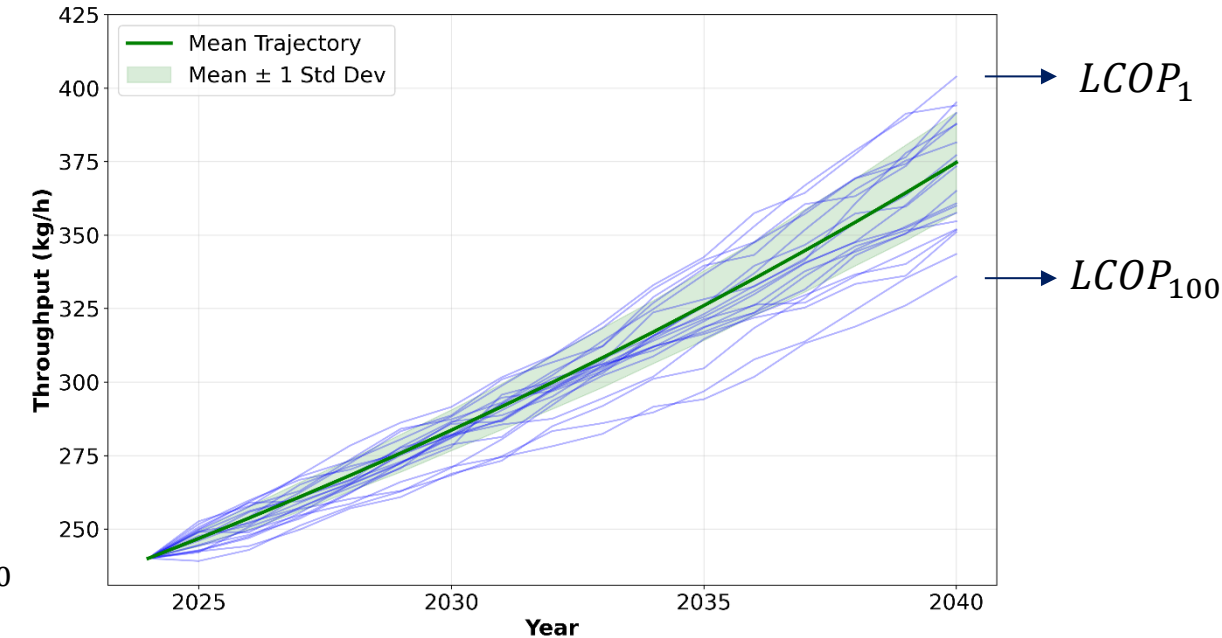
$$D_t = D_{t-1}(1 + CAGR)$$



Time-Dependent Scenario

- CAGR vary annually

$$D_t = D_{t-1}(1 + CAGR_t)$$

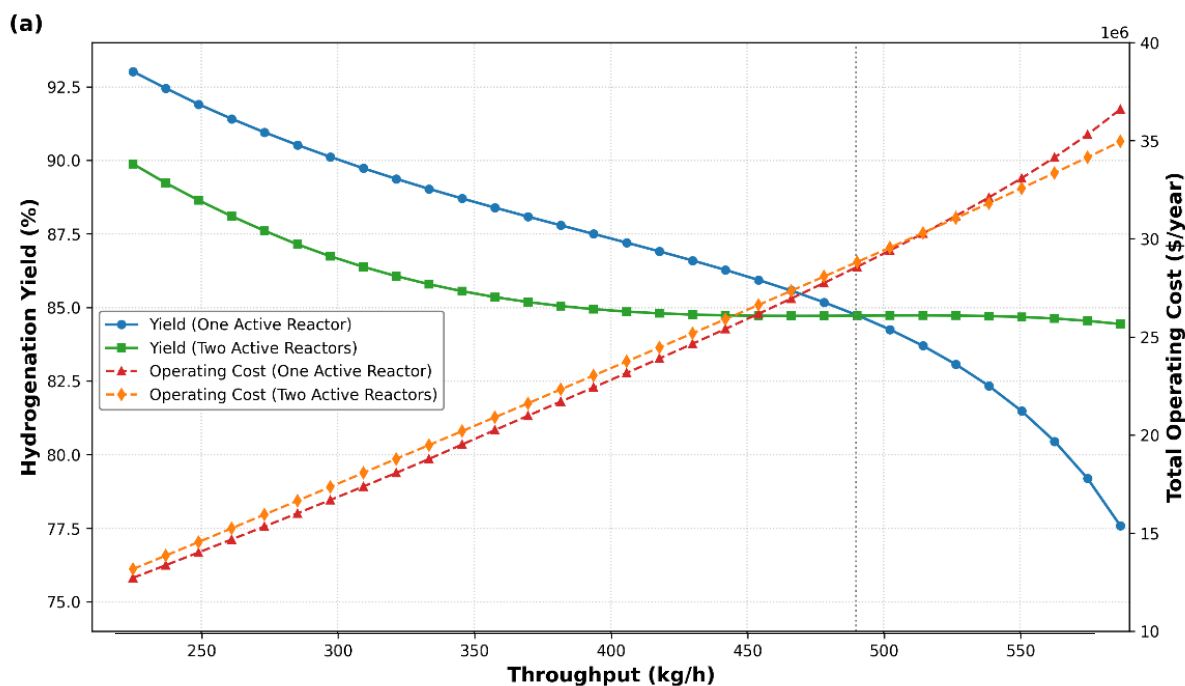


Sensitivity Analysis Defines Switching Thresholds

- Active module count per processing step: $n_{j,t}$

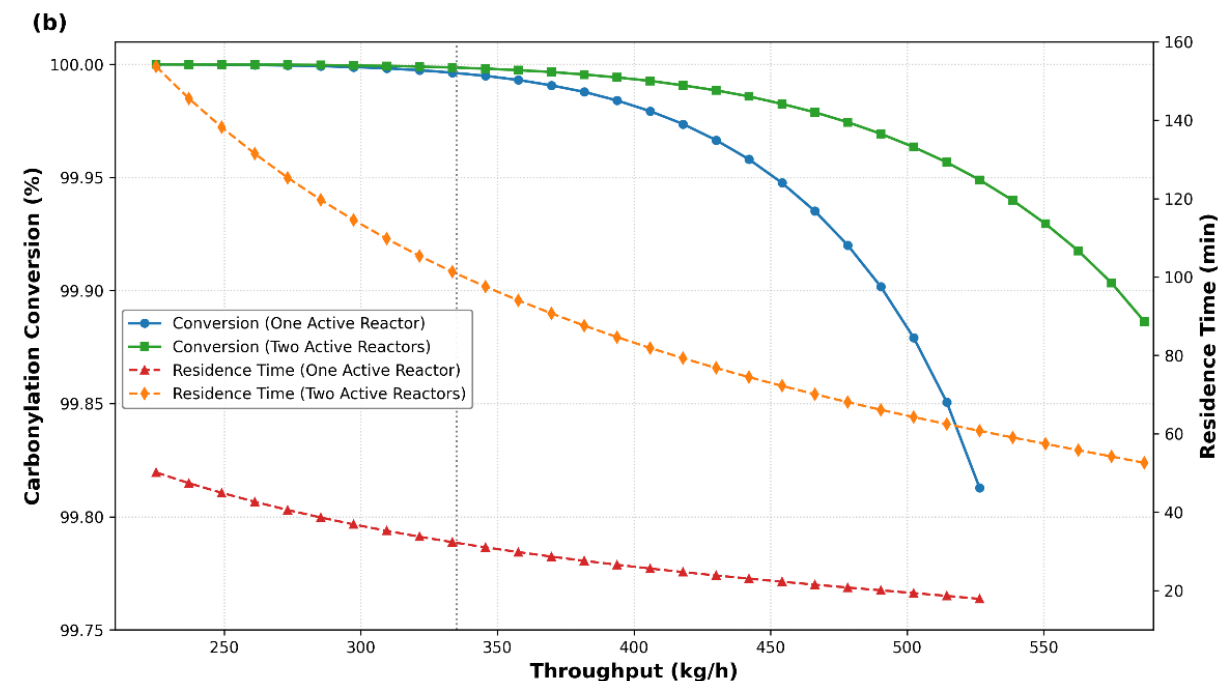
Hydrogenation (Parallel)

$$n_{H,t} = \begin{cases} 1, & D_t < 490 \text{ kg/h} \\ 2, & D_t \geq 490 \text{ kg/h} \end{cases}$$



Carbonylation (Series)

$$n_{C,t} = \begin{cases} 1, & D_t < 335 \text{ kg/h} \\ 2, & D_t \geq 335 \text{ kg/h} \end{cases}$$



Target throughput, D_t

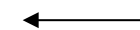


Supervisory Layer (Python)

Annual configuration decision

$$n_{j,t} = \arg \max_n J_j(n, D_t)$$

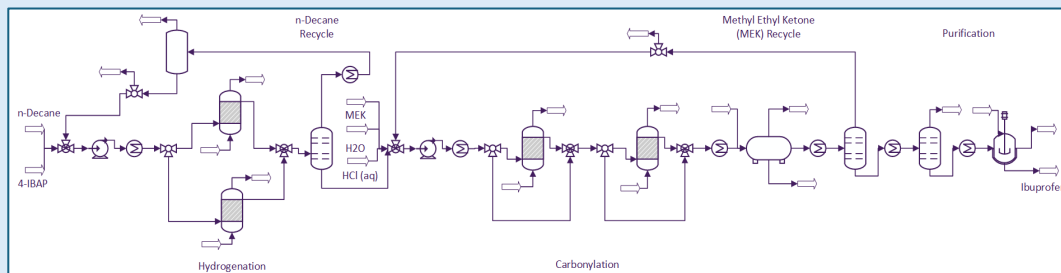
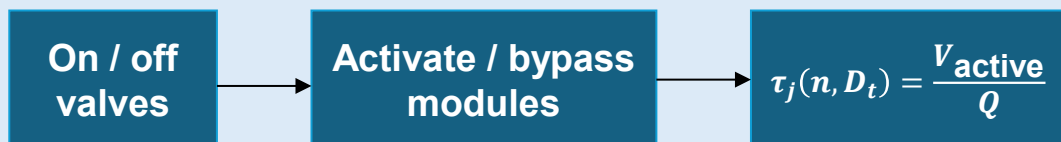
Predefined switching thresholds
(offline sensitivity analysis)



Discrete control action: $u_{j,t} = n_{j,t}$

AVEVA™ Process Simulation & Regulatory Layer

Discrete configuration control



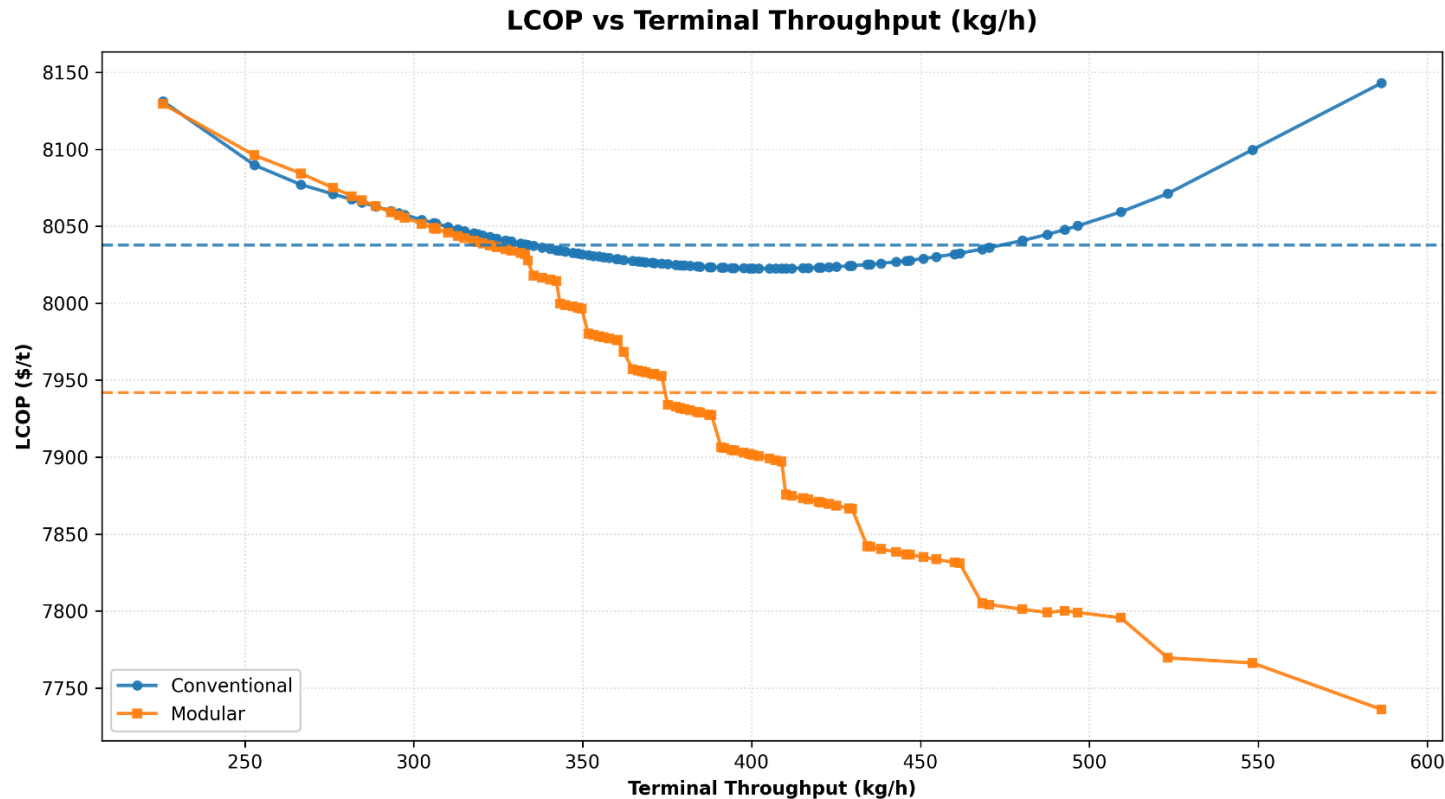
Continuous-variable regulation

- Internal AVEVA™ solvers continuously adjust manipulated variables to maintain process setpoints.

Process Unit	Controlled Variable	Manipulated Variable
Distillation Column	Distillate–bottoms split ratios	Reflux and boil-up ratios
Flash Drum	Flash temp.	Flash thermal duty
Reactor	Isothermal temp.	Cooling jacket duty

Economic Response Curve Analysis (Fixed-Rate Scenario)

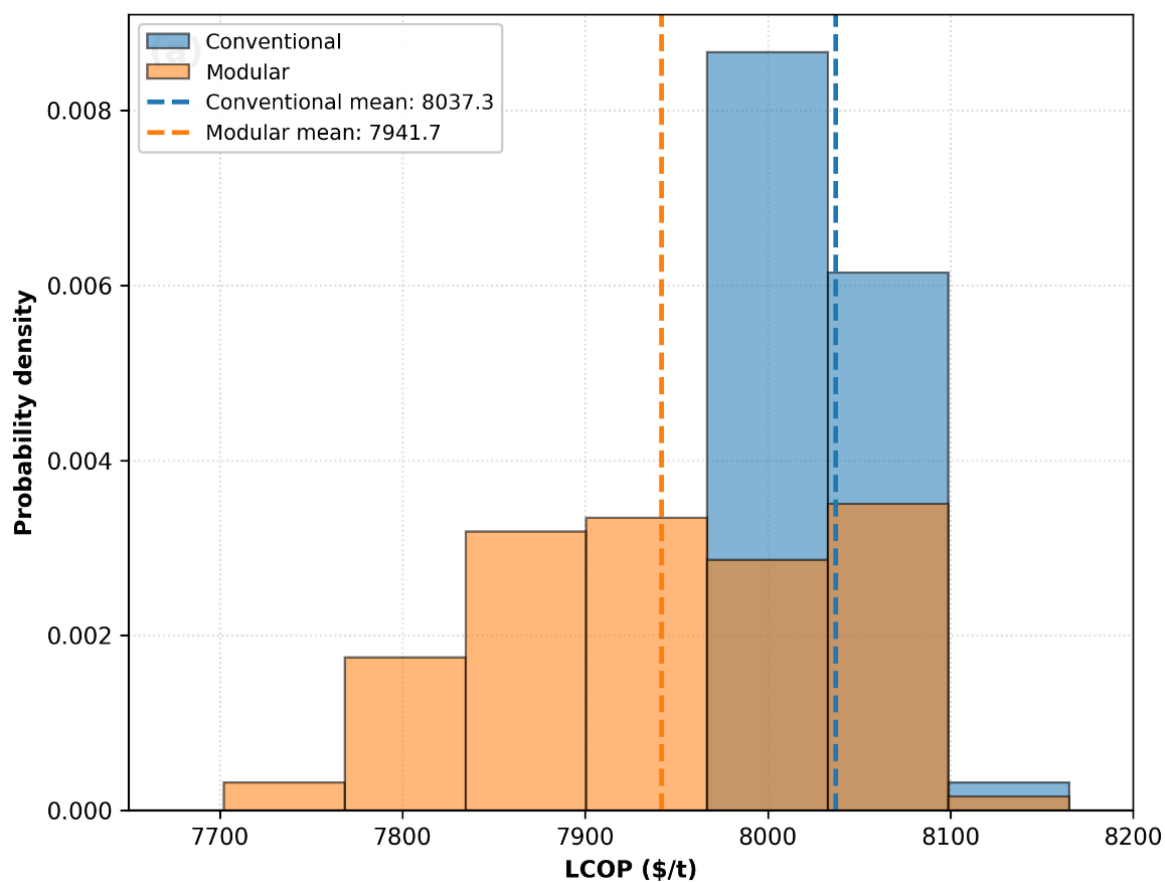
- **Economic performance metric:** levelized cost of production (LCOP) in \$/t
- **Conventional:** LCOP is minimized near the design point and increases as throughput deviates from it
- **Modular:** supervisory switching adjusts active capacity, creating a stepped LCOP response as throughput increases



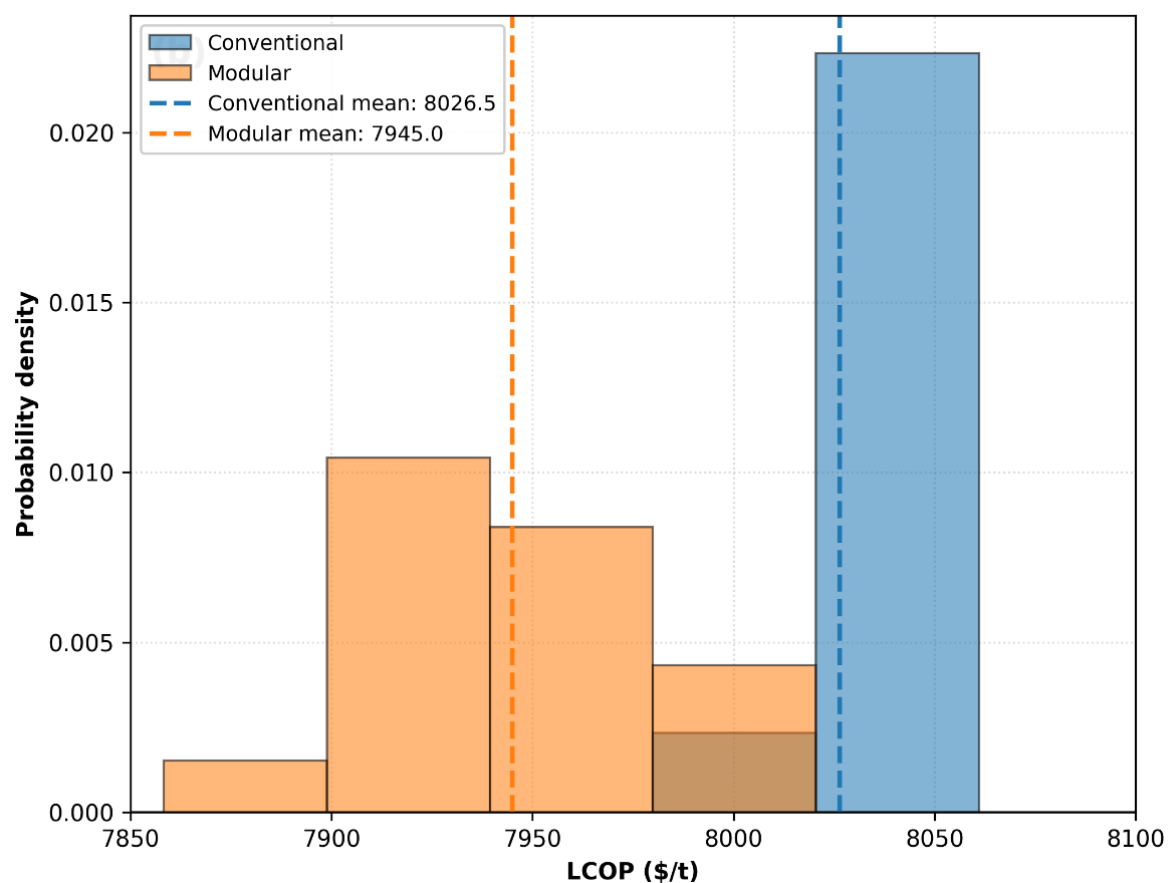
Uncertainty Analysis Results

- Modular operation reduces mean LCOP under both demand uncertainty scenarios

Fixed-Rate Scenario

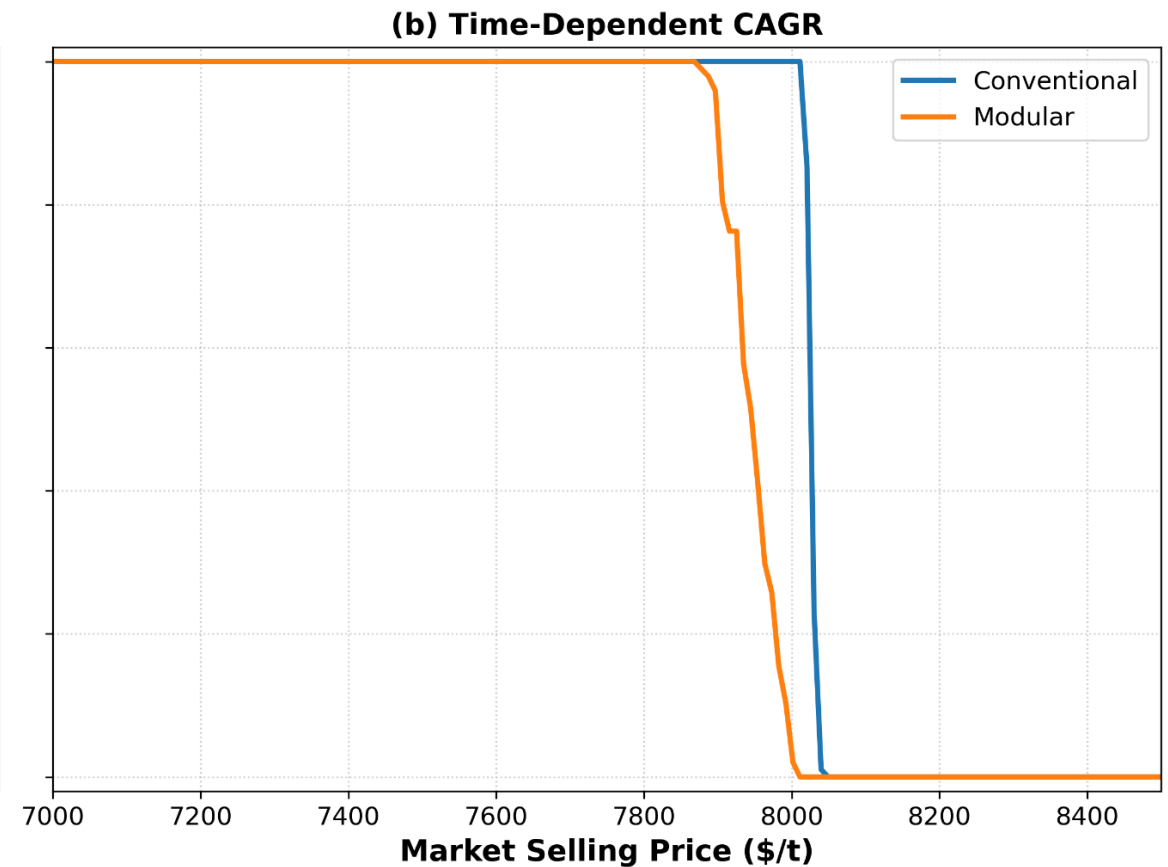
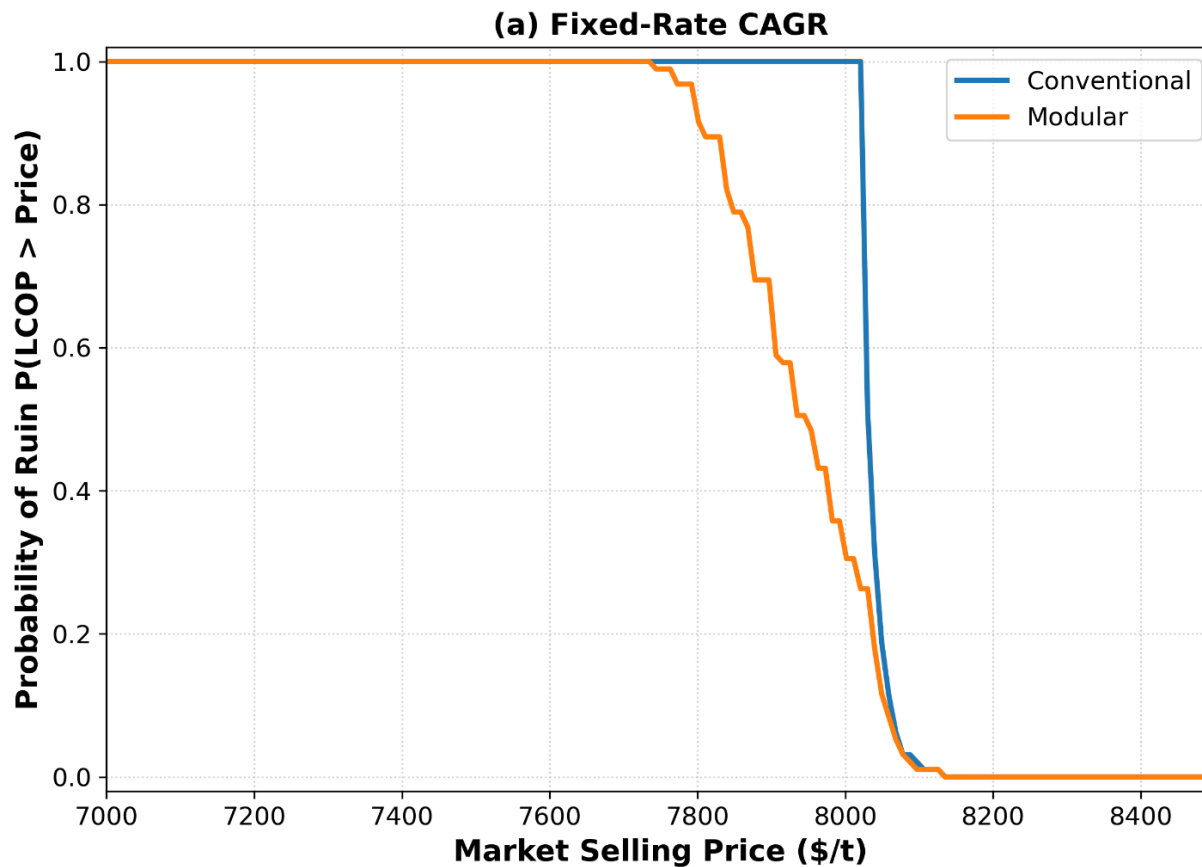


Time-Dependent Scenario



Economic Risk Analysis Results

- We define economic ruin as the condition where LCOP exceeds the market selling price
- Modular operation reduces the probability of economic ruin across the critical selling-price range (informed by historical ibuprofen market-price analysis)



CONCLUSIONS

Supervisory control unlocks the **dynamic volume flexibility** provided by modular reactor design.

Operational performance is maintained by adapting active reactor volume to preserve favorable residence times and process conditions.

Adaptive modular operation enhances economic resilience, reducing mean LCOP and mitigating the probability of economic ruin under uncertain market demand.

Outlook: The framework is extensible to other continuous manufacturing processes.

THANK YOU FOR YOUR ATTENTION!

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Reaction Kinetics

Hydrogenation

$$\frac{dC_{IBAP}}{dt} = -r_1 - 2r_3 = -\frac{C_{cat}ak_1C_{IBAP}P_{H_2}}{(1 + K_{IBAP}C_{IBAP} + \sqrt{K_H P_{H_2}} + K_{H_2O}C_{H_2O})^2} - 2r_3$$

$$\frac{dC_{Olig}}{dt} = r_3 = \frac{C_{cat}ak_3C_{IBAP}^2}{(1 + K_{IBAP}C_{IBAP} + \sqrt{K_H P_{H_2}} + K_{H_2O}C_{H_2O})^2}$$

$$\frac{dC_{IBEB}}{dt} = r_2 = \frac{C_{cat}ak_2C_{IBPE}P_{H_2}}{(1 + K_{IBAP}C_{IBAP} + \sqrt{K_H P_{H_2}} + K_{H_2O}C_{H_2O})^2}$$

$$\frac{dC_{IBPE}}{dt} = r_1 - r_2 \quad \frac{dH_2O}{dt} = r_2$$

$$k_{i(T)} = k_{i(T_0)} \exp\left(-\frac{E_A}{R}\left(\frac{1}{T} - \frac{1}{T_0}\right)\right) \quad a = \exp\left(-\alpha \frac{C_{olig}}{C_{cat}}\right)$$

Carbonylation

$$\frac{dC_{IBPE}}{dt} = -r_1 = -k_1C_{IBPE}C_{H+}$$

$$\frac{dC_{IBS}}{dt} = r_1 - r_2 + r_{-2} = -k_1C_{IBPE}C_{H+} - k_2C_{IBS}C_{H+}C_{Cl-} + k_2C_{IBPCL}$$

$$\frac{dC_{IBPCL}}{dt} = r_2 - r_{-2} - r_3 = k_2C_{IBS}C_{H+}C_{Cl-} - k_2C_{IBPCL} - \frac{k_3C_{IBPCL}C_{H_2O}C_{CO}C_{cat}^{0.43}}{1 + K + C_{IBPCL}}$$

$$\frac{dC_{IBU}}{dt} = r_3 * 0.97 = \frac{k_3C_{IBPCL}C_{H_2O}C_{CO}C_{cat}^{0.43}}{1 + K + C_{IBPCL}} * 0.97$$

$$\frac{dC_{3-IPPA}}{dt} = r_3 * 0.03 = \frac{k_3C_{IBPCL}C_{H_2O}C_{CO}C_{cat}^{0.43}}{1 + K + C_{IBPCL}} * 0.03$$

$$k_i = k_{0,i} \exp\left(-\frac{E_A}{RT}\right) \quad C_{CO} = P_{CO}H_e$$

Economic Analysis

Economic Metric

Levelized cost of production (LCOP) gives us the average cost of producing one unit of product over the entire operational lifetime of a manufacturing plant.

$$LCOP = \frac{\text{Total Capital Investment} + \sum_{t=1}^n \frac{\text{Total Operating Cost}_t}{(1+r)^t}}{\sum_{t=1}^n \frac{\text{Total Product}_t}{(1+r)^t}}$$

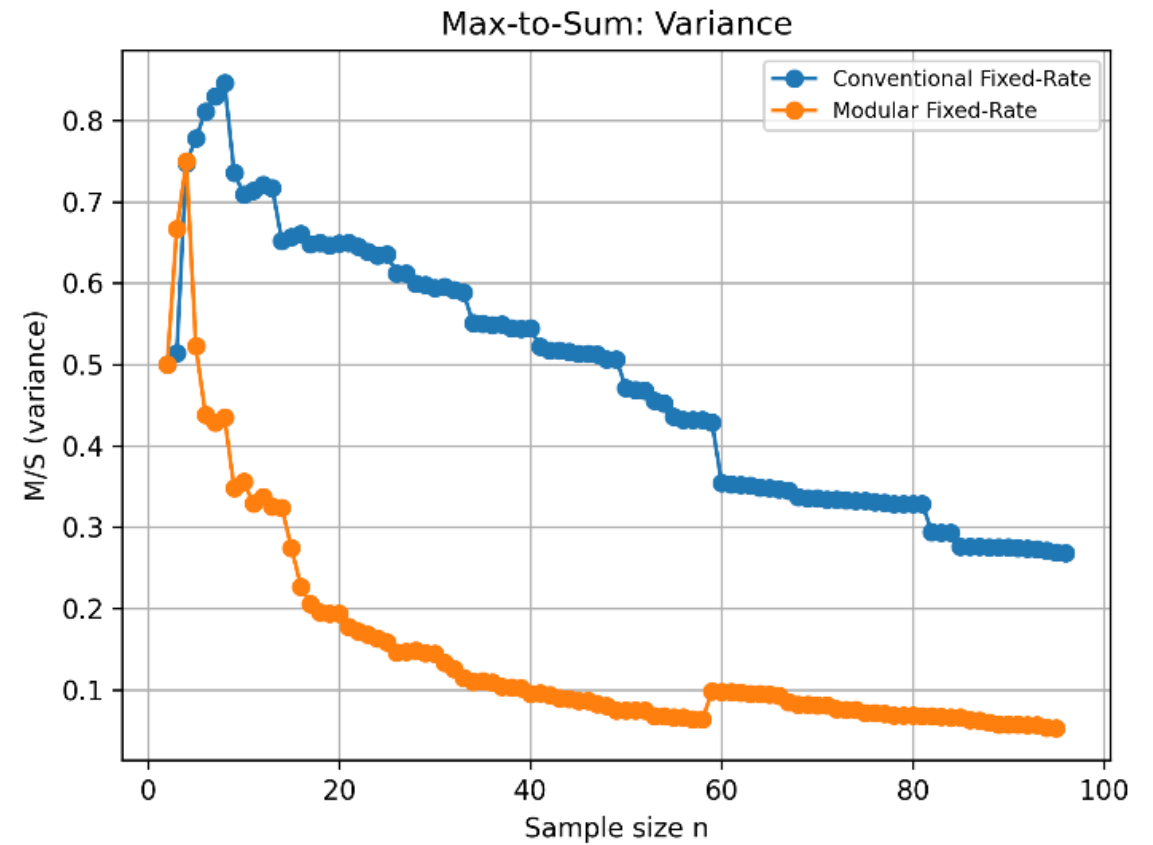
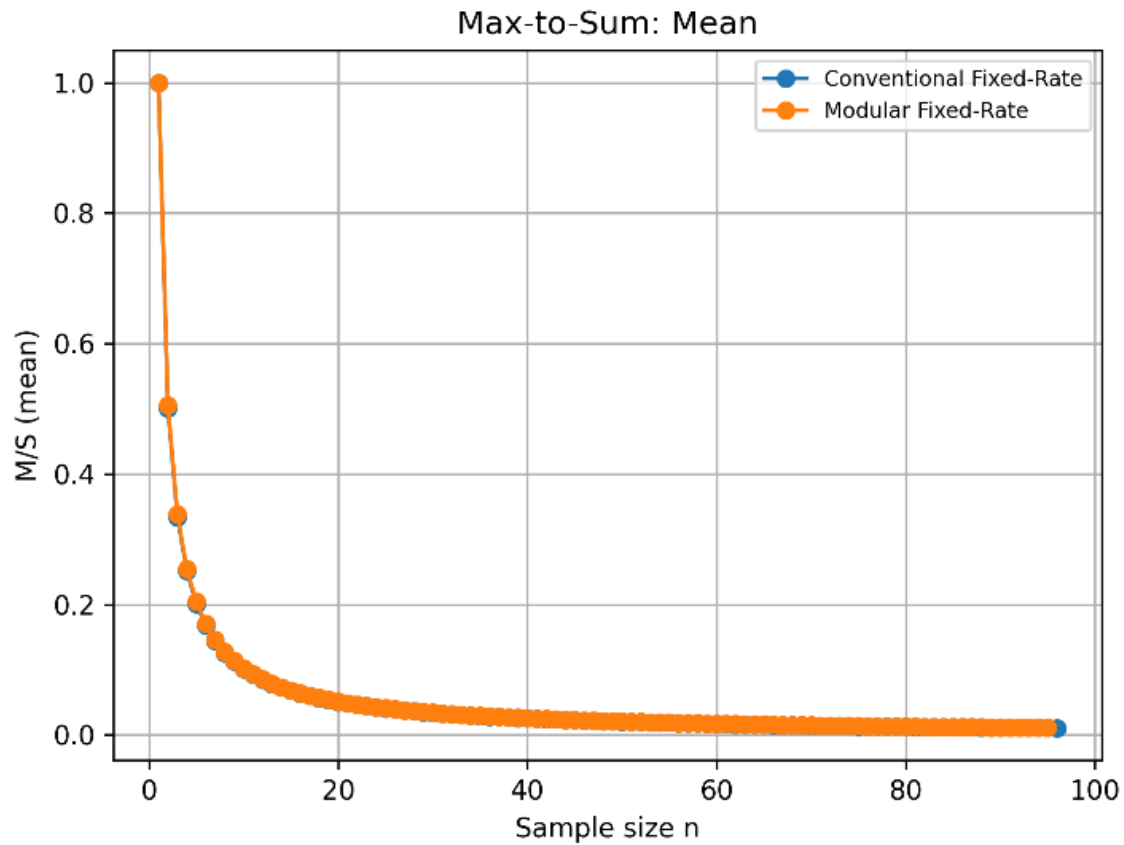
r : discount rate $\rightarrow 0.10$

n : project lifetime $\rightarrow 15$ years

- We use costing correlations integrated in AVEVA to estimate the purchased equipment costs
- Aveva uses Lang Factor Method to estimate the total capital investment (TCI)
 - $TCI = TCI_{lang} \sum_{i=1}^n C_{p,i}$

Statistical Convergence

Fixed: Conventional vs Modular



Statistical Convergence

Time Dependent: Conventional vs Modular

